

# HW answers

16)  $p = 0.30$     $n = 100$

	<b><u>STATE</u></b>	<b><u>CHECK</u></b>
(a)	(1) SRS	stated
	(2) $np \geq 10$	$(100)(0.30) \geq 10$
	$nq \geq 10$	$(100)(0.70) \geq 10$
	(3) $pop \geq 10n$	over 1000 people wear contacts

$N(0.30, 0.0458)$

(b)  $P(\hat{p} > 1/3) = \text{normalcdf}(0.3333, E99, 0.30, 0.0458) = 0.2336$

20)  $p = 0.44$   $n=244$

**STATE**

**CHECK**

- |                  |   |
|------------------|---|
| (1) SRS          | assumed representative                  |
| (2) $np \geq 10$ | $(244)(0.44) \geq 10$                   |
| $nq \geq 10$     | $(244)(0.56) \geq 10$                   |
| (3) $pop > 10n$  | there are more than 2440 binge drinkers |

$N(0.44, 0.03)$

$P(\hat{p} < 0.3934) = \text{normalcdf}(-E99, 0.3934, 0.44, 0.03) = 0.0602$

This sample only happens about 6% of the time. That is unusual.

22)  $p = 0.92$        $n = 160$

**STATE**

(1) SRS

(2)  $np \geq 10$

$nq \geq 10$

(3)  $pop > 10n$

**CHECK**

assumed

$(160)(0.92) \geq 10$

$(160)(0.08) \geq 10$

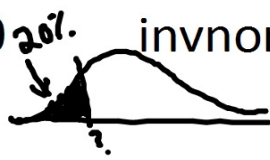
there are more than 1600 seeds

$N(0.92, 0.02145)$

$P(\hat{p} > 0.95) = \text{normalcdf}(0.95, E99, 0.92, 0.02145) = 0.081$

38)  $N(35.4, 4.2)$

(a)  $P(X > 40) = \text{normalcdf}(40, E99, 35.4, 4.2) = 0.1367$

(b)  $P(X < ?) = 0.20$    $\text{invnorm}(0.20, 35.4, 4.2) = 31.87$  inches

(c)  $n = 4$

**STATE**

- SRS
- $n \geq 30$  or norm pop.
- pop  $\geq 10(n)$

**CHECK**

- assumed representative
- stated normal pop
- all years with rain in Ithaca  $\geq 40$

$N(35.4, 2.1)$

(d)  $P(\bar{x} < 30) = \text{normalcdf}(-E99, 30, 35.4, 2.1) = 0.0051$

48)  $N(10.2, 0.12)$

(a)  $P(X < 10) = \text{normalcdf}(-E99, 10, 10.2, 0.12) = 0.0478$

(b)  $P(\text{underweight}) = 0.0478$        $P(\text{underweight}^c) = 0.9522$   
 $P(U^c \wedge U^c \wedge U^c) = (0.9522)(0.9522)(0.9522) = 0.8633$

(c)  $n = 3$

**STATE**

- SRS
- $n \geq 30$  or normal pop
- pop  $\geq 10(n)$

**CHECK**

- assumed representative
- stated normal population
- total # potato chip bags  $\geq 30$

$N(10.2, 0.0693)$  —  $\frac{0.12}{\sqrt{3}}$

(c) continued....

$$P(\bar{x} < 10) = \text{normalcdf}(-E99, 10, 10.2, 0.0693) = 0.00195$$

$\nwarrow \sigma/\sqrt{n}$

(d)  $n = 24$                       checks still pass from before

$$N(10.2, 0.0245)$$

$\nwarrow \frac{0.12}{\sqrt{24}}$

$$P(\bar{x} < 10) = \text{normalcdf}(-E99, 10, 10.2, 0.0245) = 0$$